

Electronics II

ET 2004

**LO1** - Analyse, Construct & Design AE ccts. [25 h]

AE

- \* Transistor Amps (BJT, FET)
- \* OP Amps
- \* Power Electronics (Thyristor ccts)
- \* Power Amps
- \* Power Supplies (Linear & switch mode)

**LO2** - Analyse, Construct & Design DE ccts. [10 h]

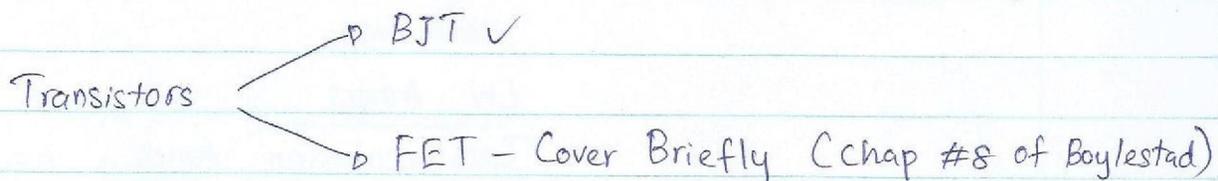
- \* Data Converters
- \* Programmable Logic Devices (CPLDs)
- \* Micro Controllers

**LO3** - Develop skills Digital System Designs [10 h]

DE

- \* Digital Systems Design Concepts
- \* Verilog HDL
- \* Basic Digital Simulations using verilog.

Transistor Amps (Ref: <sup>BJT</sup> Chap #5, <sup>FET</sup> Chap #8 of Boylestad)



Amplifiers - Basic and most Common AE Application.

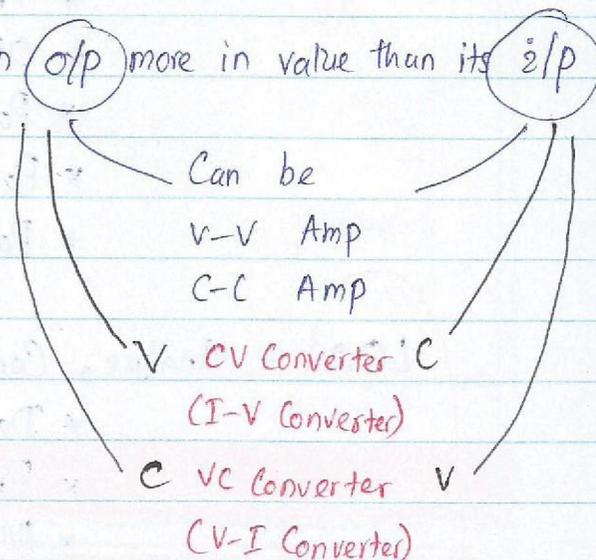
- Discrete Transistor Amps.

(Use BJTs, FETs, Rs, Cs, Ls, etc... to build amp ccts.)

- IC Amplifiers

# IC OP Amp is the most common device used to make IC Amps.

- An amplifier gives an **o/p** more in value than its **i/p**



- In a Power Amp, o/p. power is more than the i/p power

# Discrete Power Amps

# IC Power Amps (Power OP Amps)

- Amps are also classified based on their use.

Ex: Audio Amps

Video Amps

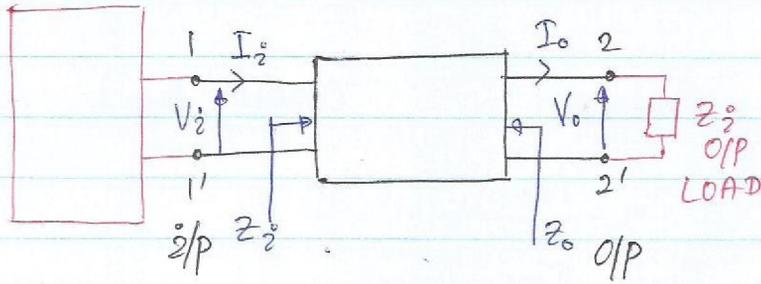
RF Amps

$\mu$ W Amps

LW Amps

Instrumentation Amps.

# Representation of an Amp. or Amp. Equivalent Circuits



i/p Signal Source

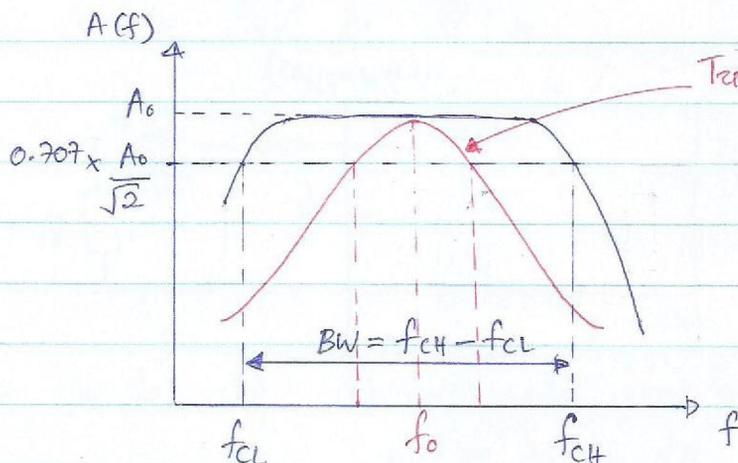
Amplifiers Amplification (Gain);  $A = \frac{\text{O/P Quantity}}{\text{I/P Quantity}}$

" I/P Impedance;  $Z_i = \frac{V_i}{I_i}$

" O/P " ;  $Z_o = \frac{V_{o,oc}}{I_{o,sc}} = \frac{\text{Open cct o/p voltage}}{\text{Short cct o/p voltage}}$

" Frequency Response and Bandwidth (CB or BW) =  $\frac{V_o|_{Z_L = \infty}}{I_o|_{Z_L = 0}}$

" Gain Bandwidth Product (GBP = A x BW)



A - Mid Band Gain  
 $f_{cl}$  - lower Cut-off freq.  
 $f_{ch}$  - Upper Cut-off freq.

NO UNITS }  $A_v = \frac{V_o}{V_i} = \text{Voltage Amplification (Voltage Gain)}$  — high for a Voltage Amp  
 $A_I = \frac{I_o}{I_i} = \text{Current}$  " (Current Gain) — high for a Current Amp

$\Omega$  }  $A_z = \frac{V_o}{I_i} = \text{Trans Impedance}$  ————— high for a IV Conv.

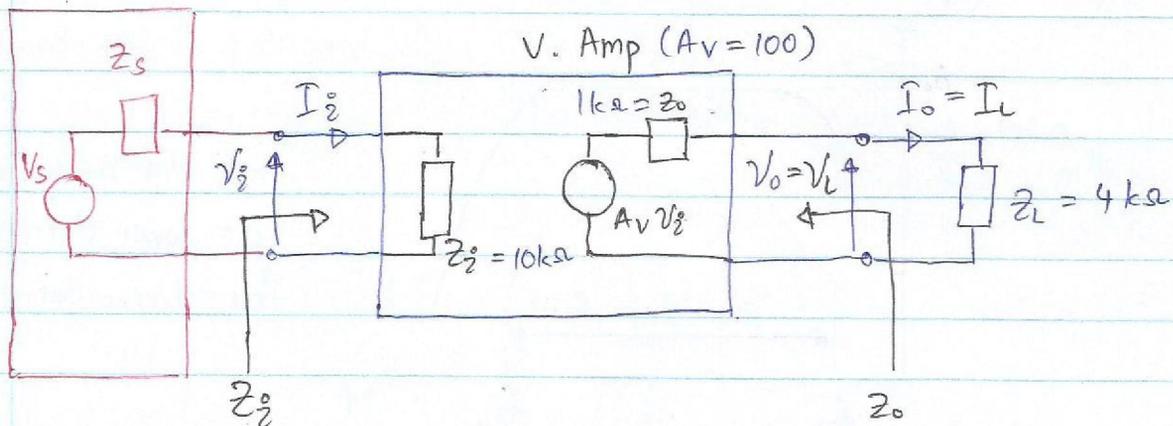
$\frac{1}{\Omega} = S$  }  $A_y = \frac{I_o}{V_i} = \text{Trans Admittance}$  ————— high for a VI Conv.  
seemans

$A_p = \frac{P_o}{P_i} = \text{Power Amplification}$   
 Power Gain

Q1 Go through (Browse) a datasheet of a \* BJT Transistor  
 \* FET Transistor  
 \* Diode

and study their frequency emmitation.

V Amp is the most common type.



V. Amp connected to a Voltage Source and a Load.

$$\begin{aligned}
 \text{No Load V. Gain} &= \frac{V_o}{V_i} \Big|_{I_o=0} \\
 &= \frac{V_o}{V_i} \Big|_{z_L=\infty} \\
 &= \frac{A_v V_i}{V_i} = A_v = 100 \\
 &A_{v\text{dB}} = 40 \text{ dB}
 \end{aligned}$$

$$\begin{aligned}
 \text{Loaded Voltage Gain} &= \frac{V_o}{V_i} \Big|_{I_o \neq 0} \\
 &= \frac{V_o}{V_i} \Big|_{z_L \neq \infty}
 \end{aligned}$$

$$\begin{aligned}
 A_{vL} &= \frac{z_L}{z_L + z_o} \times A_v = \frac{4}{5} \times 100 = 80 \\
 &= 10 \log 80 \\
 &80 = 8 \times 10 \\
 &= 2^3 \times 10 \\
 \log_{10} 2 &\approx 0.3
 \end{aligned}$$

$$\underline{\underline{A_{vL} < A_v}}$$

$$A_{vS} = \frac{V_o}{V_s} = \frac{V_o}{V_i} \times \frac{V_i}{V_s} = A_{vL} \times \left( \frac{z_i}{z_i + z_s} \right)$$

Overall  
V. Gain

$$\begin{aligned}
 \therefore A_{vS} &= A_v \left( \frac{z_i}{z_i + z_s} \right) \left( \frac{z_L}{z_L + z_o} \right) = \left( \frac{10}{0.1} \approx 0.99 \right) 80 \\
 &= \underline{\underline{79.2}}
 \end{aligned}$$

When  $z_s$  getting  $\uparrow$  Overall V. gain  $\downarrow$  [when others are constant]

Note :- deciBell (dB) Notation is widely used to express gain.

$$\begin{aligned}
 &A_v \text{ or } A_i \text{ in dB} \\
 &= A_{v\text{dB}} \text{ or } A_{i\text{dB}} \\
 &= 20 \log_{10} |A_v| \text{ or } 20 \log_{10} |A_i|
 \end{aligned}$$

$$A_p \text{ in dB} = A_{p\text{dB}} = 10 \log_{10} A_p.$$

$$A_p = \frac{V_o I_o}{V_i I_i} = A_{VL} \cdot A_{\Sigma L}$$

$$= \frac{V_o^2 / R_L}{V_i^2 / R_i} = \left( \frac{V_o}{V_i} \right)^2 \cdot \frac{R_i}{R_L} = (A_{VL})^2 \cdot \frac{R_i}{R_L}$$

$$A_p = 6400 \times \frac{10}{4} = \underline{16,000}$$

$$\therefore A_{p\text{dB}} = 10 \log_{10} 16,000$$

$$= \underline{42}$$

$$10 [4 \log_{10} 2 + 3 \log_{10} 10]$$

$$10 [(4 \times 0.3) + 3]$$

$$10 [1.2 + 3]$$

$$10 [4.2] = \underline{42}$$

For ideal Voltage Amp ;  $Z_i = \infty \implies I_i = 0$

$$Z_o = 0$$

$$BW = \infty$$

$$A_{vs} = A_{VL} = A_v$$

Q<sub>2</sub> Go through the text and carry out a similar analysis to the above voltage amplifier for,

(i) Current Amp

(ii) Trans. Impedance Amp (IV Conv)

(iii) Trans. Admittance Amp (VI Conv)